

## Reflection

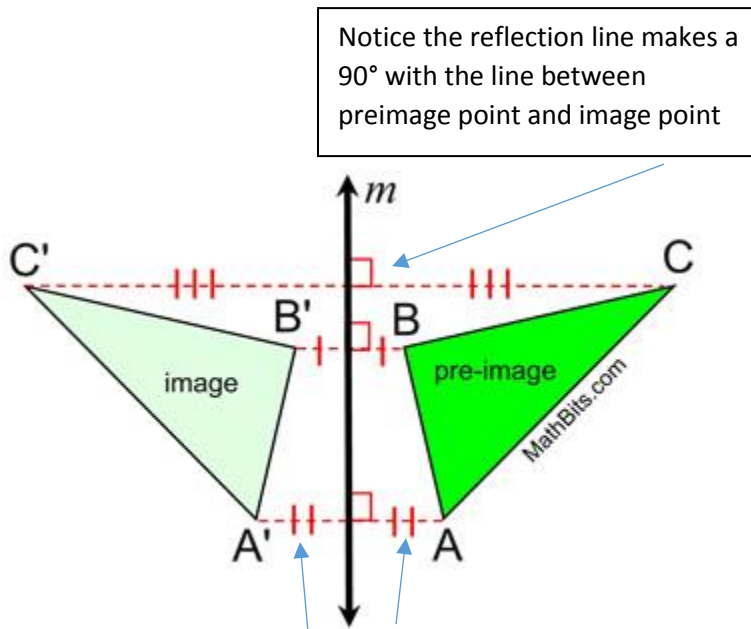
Students have said “flip” across a line

Teachers provided this definition

### A reflection of a set of points in a plane . . .

- moves points across a specified line of reflection so that the line of reflection is the perpendicular bisector of each line segment connecting corresponding pre-image and image points

But here it is in a picture:



So  $90^\circ$  and bisector – means the line of reflection is a Perpendicular Bisector

The reflection line splits the line into two equal pieces. (Notice they are **NOT** the same on each line) This makes the reflection line a bisector because it splits the line into two equal pieces

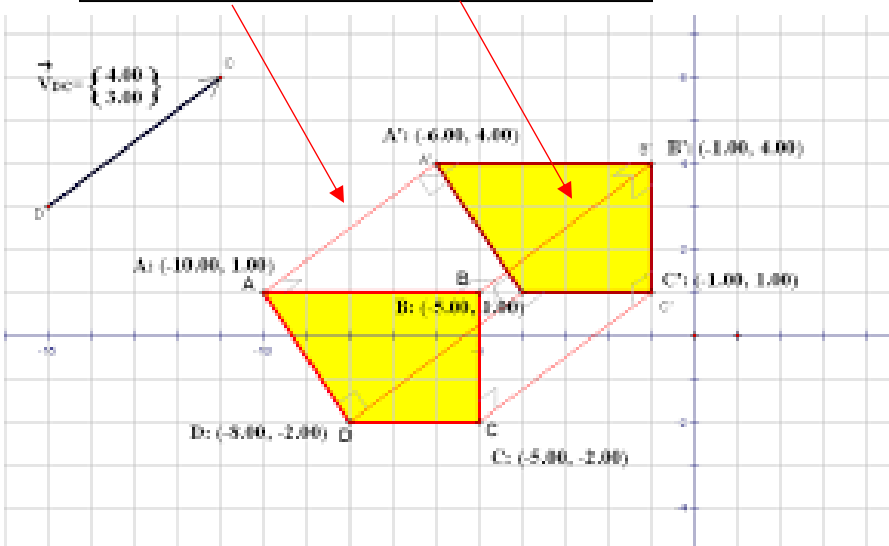
## Translations

The students call this a slide – movement along the x and y only

**A translation of a set of points in a plane . . .**

- moves points the same distance and direction along lines that are parallel to each other

Each of these lines are the SAME length  
( $AA' = BB' = CC' = DD'$ )



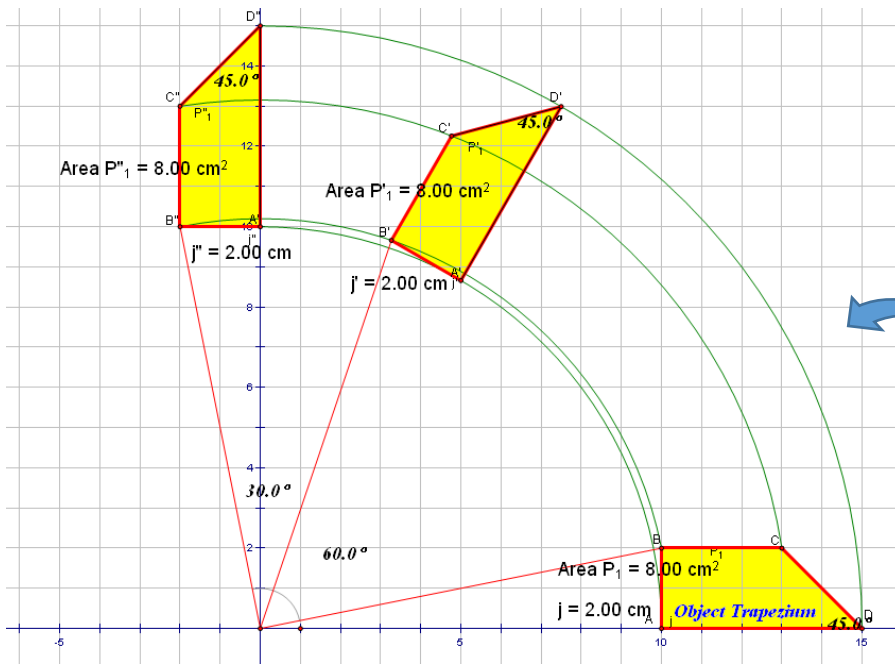
**Rotation**

Students say to turn it

Teacher provided this definition as well

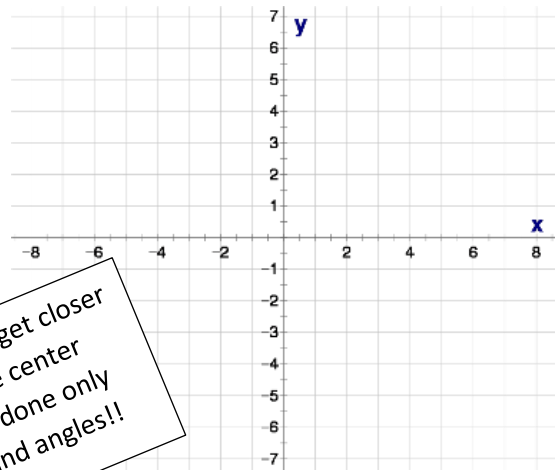
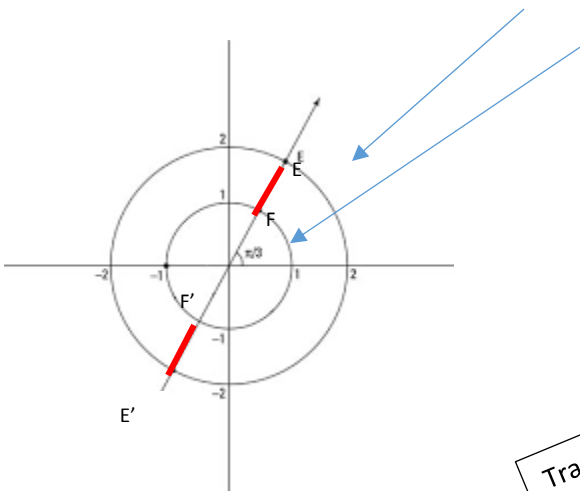
- moves points the same direction along concentric circles and through the same angle of rotation

Rotations can occur two directions counter clockwise (CCW) or clockwise (CW)



This would be a CCW rotation

Circle 1 is the same distance (radius) from the center all the way around. Circle 2 has another fixed distance all the way around the SAME center. These are concentric circles



Transformations CAN NOT get closer to or move away from the center point BECAUSE we have done only ones that KEEP shape and angles!!